

# Physics 11 IB      Oscillating Mass

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June 18, 2006

## 1 Planning A

### 1.1 Research Question

The aim of this experiment is to identify and investigate the various factors that affect the period of oscillation of a mass hanging on a spring.

### 1.2 Hypothesis

We have:

$$\omega = \sqrt{\frac{k}{m}}$$

But,  $\omega = \frac{2\pi}{T}$ , where  $T$  is the period of the oscillating mass. Solving for  $T$ , we get:

$$T = 2\pi\sqrt{\frac{m}{k}} \tag{1}$$

The above formula indicates that the only factors which could affect the period  $T$  of an oscillating mass are the mass  $m$  of the oscillating object, and the spring constant  $k$ .

If  $k$  is kept constant, and if  $m$  is increased,  $T$  increases too, and the oscillation is slowed down. Conversely, if  $m$  decreases,  $T$  is decreased too, and the oscillations occur more frequently (provided  $k$  is kept constant).

On the other hand, if the mass  $m$  is kept constant, and  $k$  is increased (by switching springs), then  $T$  decreases and the oscillations become faster. Conversely, if  $k$  is decreased, then  $T$  will increase and the oscillations will occur less frequently (provided the mass of the object remains constant).

### 1.3 Variables

Independent: Mass  $m$  of the hanging object, the spring constant  $k$ .

Dependent: The period  $T$  of the pendulum.

Controlled: The mass  $m$  of the object (if  $k$  is the independent variable) and the spring constant  $k$  (if  $m$  is the independent variable).

## 2 Planning B

### 2.1 Materials

1. An elastic spring
2. A medium-sized mass (10g approx.)
3. Photo-gate blocker timer
4. Photo-gates
5. Meter-stick
6. Balance

### 2.2 Procedure

#### Part 1

1. Determine the spring constant  $k$  of the spring by allowing it to hang freely and measuring its displacement  $x$  relative to its equilibrium position. The value  $mg/x$  will give you the spring constant in  $N/m$ .
2. Accurately measure the mass of the object and attach it to one end of the spring.
3. Prepare the timer and set it to pendulum/oscillation mode.
4. Do not switch springs between this part of the experiment, as  $k$  is being controlled.
5. From a height, gently let the spring fall through the photo gates. Determine the amount of time it takes to complete one full oscillation. This is the period  $T$  of the oscillation. Repeat this 3 or 4 times to obtain an average. Record both the mass  $m$  and the period  $T$  in a table.
6. Use different masses and repeat the above step, while making sure not to switch springs in between (in order to keep  $k$  constant). Record mass-period pair values for each different mass used.

## Part 2

1. Keeping the mass constant this time, calculate the period of the oscillating mass  $T$  while switching springs for each trial. Remember to calculate the new spring constant  $k$  for each new spring.
  2. Prepare a table containing the spring constant  $k$  and the corresponding period of oscillation  $T$  for each spring.
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1. With the above data, graph a mass versus period and a spring-constant versus period graph. Analyze the resulting two graphs and their shapes. Explain the relationship between the mass  $m$  and the period  $T$  of the oscillating mass, and the relationship between the spring-constant  $k$  and the period  $T$  of the oscillating mass.
  2. What happens if the mass  $m$  or the spring-constant  $k$  is doubled? Tripled? Halved? By what factor must one scale  $m$  or  $k$ , in order to quadruple the period  $T$ ? How do these answers relate to equation (1) ? Explain.
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